

An Exploration of Arbitrary-Order Sequence Labeling via Energy-Based Inference Networks

Lifu Tu*¹ Tianyu Liu*² Kevin Gimpel¹

¹Toyota Technological Institute at Chicago

²Peking University

- Applying deep representation learning is popular to structured tasks.
 - ▶ DNN, LSTM, CNN, BERT, etc.
- Structured component is usually quite simplistic
 - ▶ Independent assumption
 - ▶ Linear chain CRF (first-order model) [Lafferty et al, 2001]
- Challenge with high-order model: time complexity of training and inference grow exponentially

Why global energies are still necessary?

[Finkel et al, 2005]

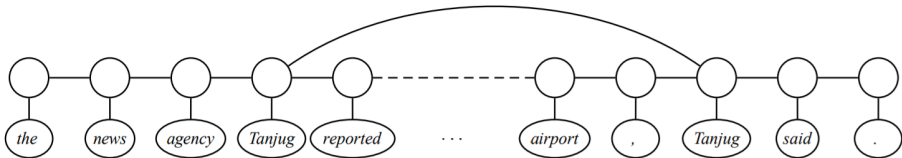


Figure: An example from CoNLL 2003 Named Entity Recognition

Enable label consistency

Training and Inference for Structured Models

Given an input sequence $\mathbf{x} = \langle x_1, x_2, \dots, x_{|\mathbf{x}|} \rangle$, we wish to output a sequence $\mathbf{y} = \langle y_1, y_2, \dots, y_{|\mathbf{y}|} \rangle \in \mathcal{Y}(\mathbf{x})$. $\mathcal{Y}(\mathbf{x})$ is the structured output space.

$$\mathbf{y}^* = \arg \min_{\mathbf{y}} E_{\Theta}(\mathbf{x}, \mathbf{y})$$

Where energy function $E_{\Theta}(\mathbf{x}, \mathbf{y})$ is a scalar that measures the compatibility of each configuration \mathbf{x} and \mathbf{y} [LeCun et al., 2006; Belanger and McCallum, 2016]

Inference for Structured Models

$$\mathbf{y}^* = \arg \min_y E_{\Theta}(\mathbf{x}, \mathbf{y})$$

Gradient Descent for Inference

$$GD(\mathbf{x}) = \arg \min_{\mathbf{y} \in \mathcal{Y}_R(\mathbf{x})} E_{\Theta}(\mathbf{x}, \mathbf{y}).$$

Inference Networks [Tu et al., 2018]

A test-time inference network $\mathbf{A}_{\Psi} : \rightarrow \mathcal{Y}_R$ is parameterized by Ψ and trained with the goal that

$$\mathbf{A}_{\Psi}(\mathbf{x}) \approx \arg \min_{\mathbf{y} \in \mathcal{Y}_R(\mathbf{x})} E_{\Theta}(\mathbf{x}, \mathbf{y}).$$

- Achieving a better speed/accuracy/search error trade-off than gradient descent
- Faster than exact inference at similar accuracy levels

Training Objective

Learning the energy function and inference network jointly [Tu et al, 2018, 2020] :

$$\hat{\Theta}, \hat{\Phi}, \hat{\Psi} = \min_{\Theta} \max_{\Phi, \Psi} \sum_i \underbrace{[\Delta(\mathbf{F}_{\Phi}(\mathbf{x}), \mathbf{y}_i) - E_{\Theta}(\mathbf{x}_i, \mathbf{F}_{\Phi}(\mathbf{x})) + E_{\Theta}(\mathbf{x}_i, \mathbf{y}_i)]_+}_{\text{margin-rescaled loss}} + \lambda \underbrace{[-E_{\Theta}(\mathbf{x}_i, \mathbf{A}_{\Psi}(\mathbf{x}_i)) + E_{\Theta}(\mathbf{x}_i, \mathbf{y}_i)]_+}_{\text{perceptron loss}}$$

cost-augmented inference: $\mathbf{F}_{\Phi} \approx \arg \min_{\mathbf{y}'} (E_{\Theta}(\mathbf{x}, \mathbf{y}') - \Delta(\mathbf{y}', \mathbf{y}))$,

test-time inference: $\mathbf{A}_{\Psi} \approx \arg \min_{\mathbf{y}'} E_{\Theta}(\mathbf{x}, \mathbf{y}')$.

Setting

Θ : energy function

Φ : cost-augmented inference network

Ψ : test-time inference network

GAN Objective

Alternately optimize Θ , Φ and Ψ (like adversarial training)

- Optimization is a min-max game.
- Inference network is analogous to the generator
- Energy function is analogous to the discriminator

We use the following energy:

$$E_{\Theta}(\mathbf{x}, \mathbf{y}) = - \left(\sum_{t=1}^T \sum_{j=1}^L y_{t,j} (U_j^{\top} f(\mathbf{x}, t)) + E_W(\mathbf{y}) \right)$$

L : label set size

\mathbf{x} : a length- T sequence

$y_{t,j}$: the j th entry of the output label \mathbf{y}_t at position t

$f(\mathbf{x}, t)$: “input feature vector” at position t

We use the following energy:

$$E_{\Theta}(\mathbf{x}, \mathbf{y}) = - \left(\sum_{t=1}^T \sum_{j=1}^L y_{t,j} (U_j^{\top} f(\mathbf{x}, t)) + E_W(\mathbf{y}) \right)$$

L : label set size

\mathbf{x} : a length- T sequence

$y_{t,j}$: the j th entry of the output label \mathbf{y}_t at position t

$f(\mathbf{x}, t)$: “input feature vector” at position t

Two special cases:

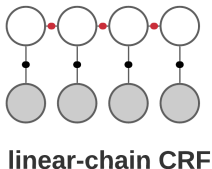
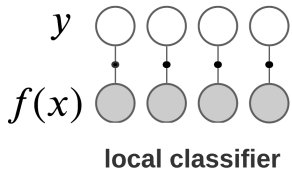
- Local Classifier :

$$E_W(\mathbf{y}) = 0$$

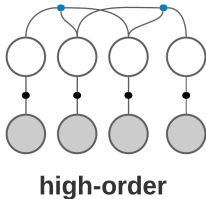
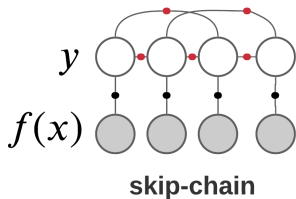
- Linear Chain Energies:

$$E_W(\mathbf{y}) = \sum_{t=1}^T \mathbf{y}_{t-1}^{\top} W \mathbf{y}_t$$

What are high-order energy terms?



- uninary potential
- pair-wise potential
- high-order potential



$f(x)$: “input feature vector”
 y : output label sequence.

Skip-Chain Energies

$$E_W(\mathbf{y}) = \sum_{t=1}^T \sum_{i=1}^M \mathbf{y}_{t-i}^\top W_i \mathbf{y}_t$$

High-Order Energies

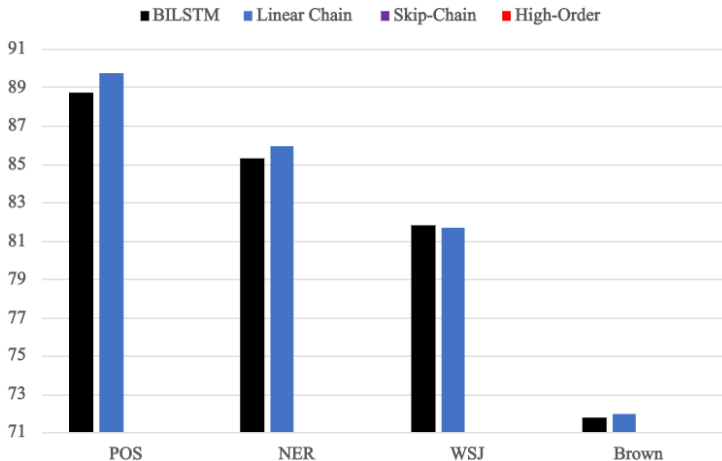
$$E_W(\mathbf{y}) = \sum_{t=M}^T F(\mathbf{y}_{t-M}, \dots, \mathbf{y}_t)$$

We consider several different parameterizations of F :

- Vectorized Kronecker Product (VKP)
- CNN
- Tag Language model (TLM)
- Self-Attention (S-Att)

Fully-Connected Energies

Results

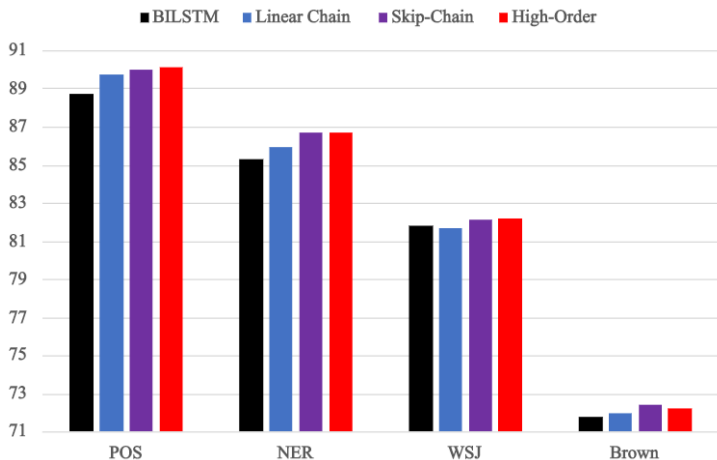


Experimental Details

Baseline (1): local classifiers (BiLSTM)

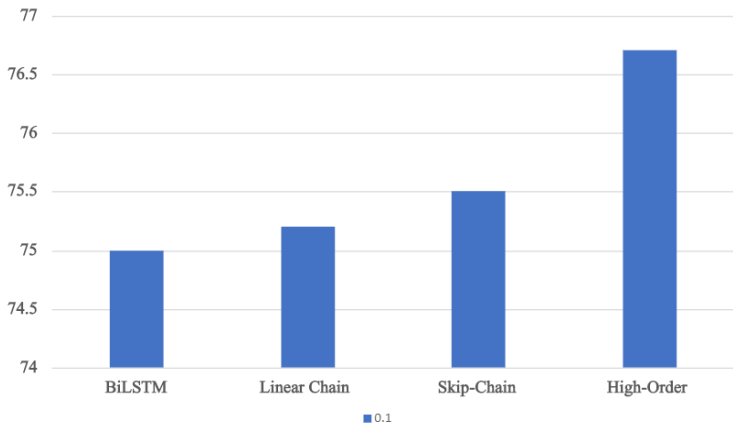
Baseline (2): linear chain energy models.

Result



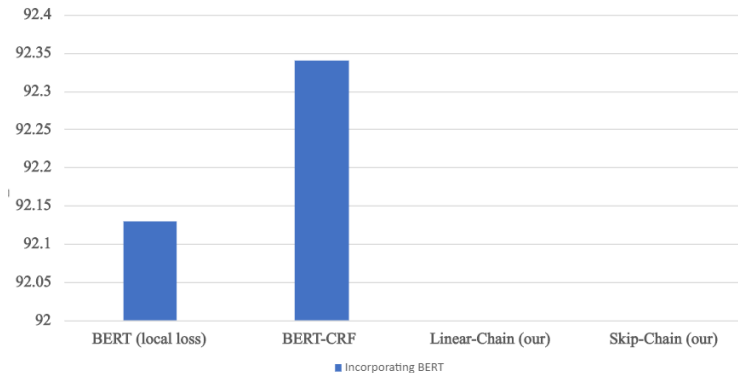
Skip-chain and high-order energy models yields higher performance.

Results on Noisy Datasets



High-order information helps the model recover from the noise.

Incorporating BERT



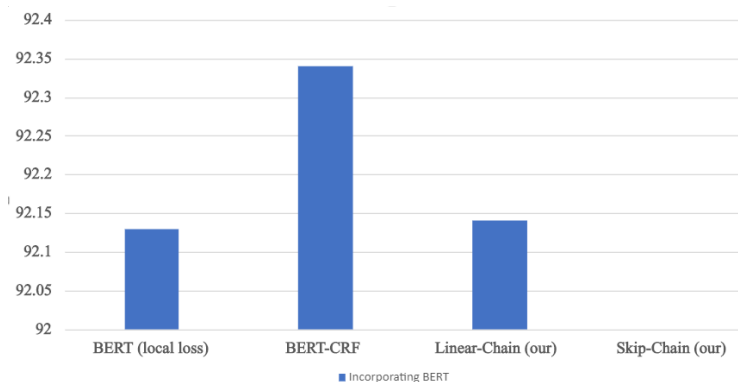
Experimental Details

Tasks: NER

Baseline (1) BERT finetuned for NER using a local loss

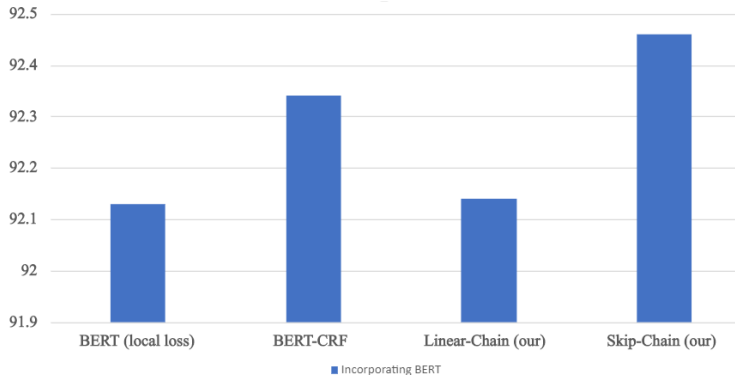
Baseline (2) a CRF using BERT features (“BERT-CRF”).

Incorporating BERT



Little difference between the locally-trained BERT and linear-chain energy function within our framework.

Incorporating BERT



Higher-order energy achieves much better than the locally-trained BERT model with framework.

Visualization of Learned Energies

The rows correspond to earlier labels,
the columns correspond to subsequent labels.

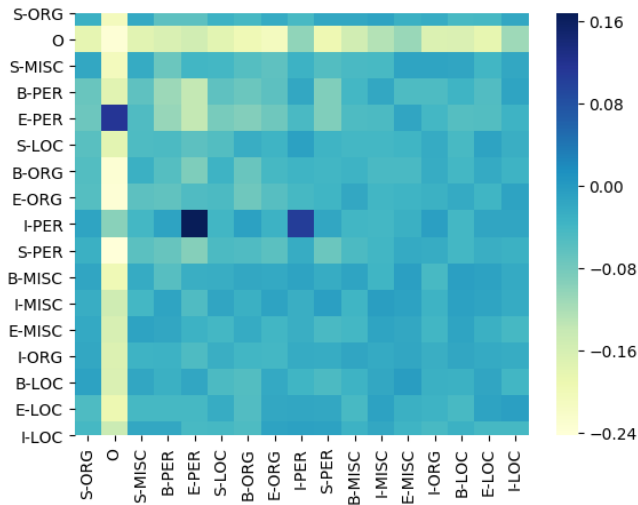


Figure: Learned 2nd-order VKP energy matrix beginning with B-PER

Conclusions

- Propose several high-order energy terms to capture complex dependencies
- Substantial improvements using high-order energy terms while keeping inference speed as the same as local classifiers
- Improvements even with BERT-like models
- High-order energy terms enrich the structured dependency on noisy settings.

Thanks!